# Weak Acids and Bases

The relative strengths of acids and bases are reflected in the magnitudes of their ionization constants; the stronger the acid or base, the larger its ionization constant. A reciprocal relation exists between the strengths of a conjugate acid-base pair: the stronger the acid, the weaker its conjugate base. Water exerts a leveling effect on dissolved acids or bases, reacting completely to generate its characteristic hydronium and hydroxide ions (the strongest acid and base that may exist in water).

## 23.1 Relative Strengths of Acids and Bases

### Learning Objectives

By the end of this section, you will be able to:

* Assess the relative strengths of acids and bases according to their ionization constants
* Rationalize trends in acid–base strength in relation to molecular structure
* Carry out equilibrium calculations for weak acid–base systems

## 23.2 Acid and Base Ionization Constants

The relative strength of an acid or base is the extent to which it ionizes when dissolved in water. If the ionization reaction is essentially complete, the acid or base is termed strong; if relatively little ionization occurs, the acid or base is weak. As will be evident throughout the remainder of this chapter, there are many more weak acids and bases than strong ones. The most common strong acids and bases are listed in [Figure 23.1](#p_XqcS).

Figure 23.1

Some of the common strong acids and bases are listed here.

The relative strengths of acids may be quantified by measuring their equilibrium constants in aqueous solutions. In solutions of the same concentration, stronger acids ionize to a greater extent, and so yield higher concentrations of hydronium ions than do weaker acids. The equilibrium constant for an acid is called the acid-ionization constant, Ka. For the reaction of an acid HA:

HA(aq)+H2O(l)⇌H3O+(aq)+A−(aq),HA(aq)+H2O(l)⇌H3O+(aq)+A−(aq),

the acid ionization constant is written

Ka=[H3O+][A−][HA]Ka=[H3O+][A−][HA]

where the concentrations are those at equilibrium. Although water is a reactant in the reaction, it is the solvent as well, so we do not include [H2O] in the equation. The larger the Ka of an acid, the larger the concentration of H3O+H3O+ and A− relative to the concentration of the nonionized acid, HA, in an equilibrium mixture, and the stronger the acid. An acid is classified as “strong” when it undergoes complete ionization, in which case the concentration of HA is zero and the acid ionization constant is immeasurably large (Ka ≈ ∞). Acids that are partially ionized are called “weak,” and their acid ionization constants may be experimentally measured. A table of ionization constants for weak acids is provided in [Appendix H](https://openstax.org/books/chemistry-atoms-first-2e/pages/h-ionization-constants-of-weak-acids).

To illustrate this idea, three acid ionization equations and Ka values are shown below. The ionization constants increase from first to last of the listed equations, indicating the relative acid strength increases in the order CH3CO2H < HNO2 < HSO4−:HSO4−:

CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)Ka=1.8×10−5CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)Ka=1.8×10−5

HNO2(aq)+H2O(l)⇌H3O+(aq)+NO2−(aq)Ka=4.6×10−4HNO2(aq)+H2O(l)⇌H3O+(aq)+NO2−(aq)Ka=4.6×10−4

HSO4−(aq)+H2O(aq)⇌H3O+(aq)+SO42−(aq)Ka=1.2×10−2HSO4−(aq)+H2O(aq)⇌H3O+(aq)+SO42−(aq)Ka=1.2×10−2

Another measure of the strength of an acid is its percent ionization. The percent ionization of a weak acid is defined in terms of the composition of an equilibrium mixture:

% ionization=[H3O+]eq[HA]0×100% ionization=[H3O+]eq[HA]0×100

where the numerator is equivalent to the concentration of the acid's conjugate base (per stoichiometry, [A−] = [H3O+]). Unlike the Ka value, the percent ionization of a weak acid varies with the initial concentration of acid, typically decreasing as concentration increases. Equilibrium calculations of the sort described later in this chapter can be used to confirm this behavior.

### EXAMPLE 23.2.1

#### Calculation of Percent Ionization from pH

Calculate the percent ionization of a 0.125-

M

solution of nitrous acid (a weak acid), with a pH of 2.09.

#### Solution

The percent ionization for an acid is:

[H3O+]eq[HNO2]0×100[H3O+]eq[HNO2]0×100

Converting the provided pH to hydronium ion molarity yields

[H3O+]=10−2.09=0.0081M[H3O+]=10−2.09=0.0081M

Substituting this value and the provided initial acid concentration into the percent ionization equation gives

8.1×10−30.125×100=6.5%8.1×10−30.125×100=6.5%

(Recall the provided pH value of 2.09 is logarithmic, and so it contains just two significant digits, limiting the certainty of the computed percent ionization.)

#### Check Your Learning

Calculate the percent ionization of a 0.10-

M

solution of acetic acid with a pH of 2.89.

### Answer

1.3% ionized

### LINK TO LEARNING

View the [simulation](http://openstax.org/l/16AcidBase) of strong and weak acids and bases at the molecular level.

Just as for acids, the relative strength of a base is reflected in the magnitude of its base-ionization constant (Kb) in aqueous solutions. In solutions of the same concentration, stronger bases ionize to a greater extent, and so yield higher hydroxide ion concentrations than do weaker bases. A stronger base has a larger ionization constant than does a weaker base. For the reaction of a base, B:

B(aq)+H2O(l)⇌HB+(aq)+OH−(aq),B(aq)+H2O(l)⇌HB+(aq)+OH−(aq),

the ionization constant is written as

Kb=[HB+][OH−][B]Kb=[HB+][OH−][B]

Inspection of the data for three weak bases presented below shows the base strength increases in the order NO2−<CH2CO2−<NH3.NO2−<CH2CO2−<NH3.

NO2−(aq)+H2O(l)⇌HNO2(aq)+OH−(aq)Kb=2.17×10−11CH3CO2−(aq)+H2O(l)⇌CH3CO2H(aq)+OH−(aq)Kb=5.6×10−10NH3(aq)+H2O(l)⇌NH4+(aq)+OH−(aq)Kb=1.8×10−5NO2−(aq)+H2O(l)⇌HNO2(aq)+OH−(aq)Kb=2.17×10−11CH3CO2−(aq)+H2O(l)⇌CH3CO2H(aq)+OH−(aq)Kb=5.6×10−10NH3(aq)+H2O(l)⇌NH4+(aq)+OH−(aq)Kb=1.8×10−5

A table of ionization constants for weak bases appears in [Appendix I](https://openstax.org/books/chemistry-atoms-first-2e/pages/i-ionization-constants-of-weak-bases). As for acids, the relative strength of a base is also reflected in its percent ionization, computed as

%ionization=[OH−]eq/[B]0×100%%ionization=[OH−]eq/[B]0×100%

but will vary depending on the base ionization constant and the initial concentration of the solution.

### 23.2.2 Calculating Percent Ionization

## 23.3 Relative Strengths of Conjugate Acid-Base Pairs

Brønsted-Lowry acid-base chemistry is the transfer of protons; thus, logic suggests a relation between the relative strengths of conjugate acid-base pairs. The strength of an acid or base is quantified in its ionization constant, Ka or Kb, which represents the extent of the acid or base ionization reaction. For the conjugate acid-base pair HA / A−, ionization equilibrium equations and ionization constant expressions are

HA(aq)+H2O(l)⇌H3O+(aq)+A−(aq)Ka=[H3O+][A−][HA]HA(aq)+H2O(l)⇌H3O+(aq)+A−(aq)Ka=[H3O+][A−][HA]

A−(aq)+H2O(l)⇌OH−(aq)+HA(aq)Kb=[HA][OH–][A−]A−(aq)+H2O(l)⇌OH−(aq)+HA(aq)Kb=[HA][OH–][A−]

Adding these two chemical equations yields the equation for the autoionization for water:

HA(aq)+H2O(l)+A−(aq)+H2O(l)⇌H3O+(aq)+A−(aq)+OH−(aq)+HA(aq)HA(aq)+H2O(l)+A−(aq)+H2O(l)⇌H3O+(aq)+A−(aq)+OH−(aq)+HA(aq)

2H2O(l)⇌H3O+(aq)+OH−(aq)2H2O(l)⇌H3O+(aq)+OH−(aq)

As discussed in another chapter on equilibrium, the equilibrium constant for a summed reaction is equal to the mathematical product of the equilibrium constants for the added reactions, and so

Ka×Kb=[H3O+][A−][HA]×[HA][OH−][A−]=[H3O+][OH−]=KwKa×Kb=[H3O+][A−][HA]×[HA][OH−][A−]=[H3O+][OH−]=Kw

This equation states the relation between ionization constants for any conjugate acid-base pair, namely, their mathematical product is equal to the ion product of water, Kw. By rearranging this equation, a reciprocal relation between the strengths of a conjugate acid-base pair becomes evident:

Ka=Kw/KborKb=Kw/KaKa=Kw/KborKb=Kw/Ka

The inverse proportional relation between Ka and Kb means the stronger the acid or base, the weaker its conjugate partner. [Figure 34.2](#p_GVxv) illustrates this relation for several conjugate acid-base pairs.

Figure 23.2

Relative strengths of several conjugate acid-base pairs are shown.

Figure 23.3

This figure shows strengths of conjugate acid-base pairs relative to the strength of water as the reference substance.

The listing of conjugate acid–base pairs shown in [Figure 23.3](#p_TKUH) is arranged to show the relative strength of each species as compared with water, whose entries are highlighted in each of the table’s columns. In the acid column, those species listed below water are weaker acids than water. These species do not undergo acid ionization in water; they are not Bronsted-Lowry acids. All the species listed above water are stronger acids, transferring protons to water to some extent when dissolved in an aqueous solution to generate hydronium ions. Species above water but below hydronium ion are weak acids, undergoing partial acid ionization, wheres those above hydronium ion are strong acids that are completely ionized in aqueous solution.

If all these strong acids are completely ionized in water, why does the column indicate they vary in strength, with nitric acid being the weakest and perchloric acid the strongest? Notice that the sole acid species present in an aqueous solution of any strong acid is H3O+(aq), meaning that hydronium ion is the strongest acid that may exist in water; any stronger acid will react completely with water to generate hydronium ions. This limit on the acid strength of solutes in a solution is called a **leveling effect**. To measure the differences in acid strength for “strong” acids, the acids must be dissolved in a solvent that is less basic than water. In such solvents, the acids will be “weak,” and so any differences in the extent of their ionization can be determined. For example, the binary hydrogen halides HCl, HBr, and HI are strong acids in water but weak acids in ethanol (strength increasing HCl < HBr < HI).

The right column of [Figure 23.3](#p_TKUH) lists a number of substances in order of increasing base strength from top to bottom. Following the same logic as for the left column, species listed above water are weaker bases and so they don’t undergo base ionization when dissolved in water. Species listed between water and its conjugate base, hydroxide ion, are weak bases that partially ionize. Species listed below hydroxide ion are strong bases that completely ionize in water to yield hydroxide ions (i.e., they are leveled to hydroxide). A comparison of the acid and base columns in this table supports the reciprocal relation between the strengths of conjugate acid-base pairs. For example, the conjugate bases of the strong acids (top of table) are all of negligible strength. A strong acid exhibits an immeasurably large Ka, and so its conjugate base will exhibit a Kb that is essentially zero:

strongacid:Ka≈∞conjugatebase:Kb=Kw/Ka=Kw/∞≈0strongacid:Ka≈∞conjugatebase:Kb=Kw/Ka=Kw/∞≈0

A similar approach can be used to support the observation that conjugate acids of strong bases (Kb ≈ ∞) are of negligible strength (Ka ≈ 0).

### EXAMPLE 23.3.1

#### Calculating Ionization Constants for Conjugate Acid-Base Pairs

Use the

K

b

for the nitrite ion,

NO2−,NO2−,

to calculate the

K

a

for its conjugate acid.

#### Solution

K

b

for

NO2−NO2−

is given in this section as 2.17

××

10

−11

. The conjugate acid of

NO2−NO2−

is HNO

2

;

K

a

for HNO

2

can be calculated using the relationship:

Ka×Kb=1.0×10−14=KwKa×Kb=1.0×10−14=Kw

Solving for Ka yields

Ka=KwKb=1.0×10−142.17×10−11=4.6×10−4Ka=KwKb=1.0×10−142.17×10−11=4.6×10−4

This answer can be verified by finding the Ka for HNO2 in [Appendix H](https://openstax.org/books/chemistry-atoms-first-2e/pages/h-ionization-constants-of-weak-acids).

#### Check Your Learning

Determine the relative acid strengths of

NH4+NH4+

and HCN by comparing their ionization constants. The ionization constant of HCN is given in

[Appendix H](https://openstax.org/books/chemistry-atoms-first-2e/pages/h-ionization-constants-of-weak-acids)

as 4.9

×

10

−10

. The ionization constant of

NH4+NH4+

is not listed, but the ionization constant of its conjugate base, NH

3

, is listed as 1.8

×

10

−5

.

### Answer

NH4+NH4+ is the slightly stronger acid (Ka for NH4+NH4+ = 5.6 ×× 10−10).

## 23.4 Acid-Base Equilibrium Calculations

The chapter on chemical equilibria introduced several types of equilibrium calculations and the various mathematical strategies that are helpful in performing them. These strategies are generally useful for equilibrium systems regardless of chemical reaction class, and so they may be effectively applied to acid-base equilibrium problems. This section presents several example exercises involving equilibrium calculations for acid-base systems.

### EXAMPLE 23.4.1

#### Determination of Ka from Equilibrium Concentrations

Acetic acid is the principal ingredient in vinegar (

[Figure 23.4](#p_XKxK)

) that provides its sour taste. At equilibrium, a solution contains [CH

3

CO

2

H] = 0.0787

M

and

[H3O+]=[CH3CO2−]=0.00118M.[H3O+]=[CH3CO2−]=0.00118M.

What is the value of

K

a

for acetic acid?

Figure 23.4

Vinegar contains acetic acid, a weak acid. (credit: modification of work by “HomeSpot HQ”/Flickr)

#### Solution

The relevant equilibrium equation and its equilibrium constant expression are shown below. Substitution of the provided equilibrium concentrations permits a straightforward calculation of the

K

a

for acetic acid.

CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)

Ka=[H3O+][CH3CO2−][CH3CO2H]=(0.00118)(0.00118)0.0787=1.77×10−5Ka=[H3O+][CH3CO2−][CH3CO2H]=(0.00118)(0.00118)0.0787=1.77×10−5

#### Check Your Learning

The

HSO4−HSO4−

ion, weak acid used in some household cleansers:

HSO4−(aq)+H2O(l)⇌H3O+(aq)+SO42−(aq)HSO4−(aq)+H2O(l)⇌H3O+(aq)+SO42−(aq)

What is the acid ionization constant for this weak acid if an equilibrium mixture has the following composition: [H3O+][H3O+] = 0.027 M; [HSO4−]=0.29M;[HSO4−]=0.29M; and [SO42−]=0.13M?[SO42−]=0.13M?

### Answer

Ka for HSO4−HSO4− = 1.2 ×× 10−2

### EXAMPLE 23.4.2

#### Determination of Kb from Equilibrium Concentrations

Caffeine, C

8

H

10

N

4

O

2

is a weak base. What is the value of

K

b

for caffeine if a solution at equilibrium has [C

8

H

10

N

4

O

2

] = 0.050

M

,

[C8H10N4O2H+][C8H10N4O2H+]

= 5.0

××

10

−3

M

, and [OH

−

] = 2.5

××

10

−3

M

?

#### Solution

The relevant equilibrium equation and its equilibrium constant expression are shown below. Substitution of the provided equilibrium concentrations permits a straightforward calculation of the

K

b

for caffeine.

C8H10N4O2(aq)+H2O(l)⇌C8H10N4O2H+(aq)+OH−(aq)C8H10N4O2(aq)+H2O(l)⇌C8H10N4O2H+(aq)+OH−(aq)

Kb=[C8H10N4O2H+][OH−][C8H10N4O2]=(5.0×10−3)(2.5×10−3)0.050=2.5×10−4Kb=[C8H10N4O2H+][OH−][C8H10N4O2]=(5.0×10−3)(2.5×10−3)0.050=2.5×10−4

#### Check Your Learning

What is the equilibrium constant for the ionization of the

HPO42−HPO42−

ion, a weak base

HPO42−(aq)+H2O(l)⇌H2PO4−(aq)+OH−(aq)HPO42−(aq)+H2O(l)⇌H2PO4−(aq)+OH−(aq)

if the composition of an equilibrium mixture is as follows: [OH−] = 1.3 ×× 10−6M; [H2PO4−]=0.042M;[H2PO4−]=0.042M; and [HPO42−]=0.341M?[HPO42−]=0.341M?

### Answer

Kb for HPO42−=1.6×10−7HPO42−=1.6×10−7

### EXAMPLE 23.4.3

#### Determination of Ka or Kb from pH

The pH of a 0.0516-

M

solution of nitrous acid, HNO

2

, is 2.34. What is its

K

a

?

HNO2(aq)+H2O(l)⇌H3O+(aq)+NO2−(aq)HNO2(aq)+H2O(l)⇌H3O+(aq)+NO2−(aq)

#### Solution

The nitrous acid concentration provided is a

formal

concentration, one that does not account for any chemical equilibria that may be established in solution. Such concentrations are treated as “initial” values for equilibrium calculations using the ICE table approach. Notice the initial value of hydronium ion is listed as

approximately

zero because a small concentration of H

3

O

+

is present (1 × 10

−7

M

) due to the autoprotolysis of water. In many cases, such as all the ones presented in this chapter, this concentration is much less than that generated by ionization of the acid (or base) in question and may be neglected.

The pH provided is a logarithmic measure of the hydronium ion concentration resulting from the acid ionization of the nitrous acid, and so it represents an “equilibrium” value for the ICE table:

[H3O+]=10−2.34=0.0046M[H3O+]=10−2.34=0.0046M

The ICE table for this system is then

Finally, calculate the value of the equilibrium constant using the data in the table:

Ka=[H3O+][NO2−][HNO2]=(0.0046)(0.0046)(0.0470)=4.6×10−4Ka=[H3O+][NO2−][HNO2]=(0.0046)(0.0046)(0.0470)=4.6×10−4

#### Check Your Learning.

The pH of a solution of household ammonia, a 0.950-

M

solution of NH

3,

is 11.612. What is

K

b

for NH

3

.

### Answer

Kb = 1.8 ×× 10−5

### EXAMPLE 23.4.4

#### Calculating Equilibrium Concentrations in a Weak Acid Solution

Formic acid, HCO

2

H, is one irritant that causes the body’s reaction to some ant bites and stings (

[Figure 23.](#h2_ZLPX)

5 ).

Figure 23.5

The pain of some ant bites and stings is caused by formic acid. (credit: John Tann)

What is the concentration of hydronium ion and the pH of a 0.534-M solution of formic acid?

HCO2H(aq)+H2O(l)⇌H3O+(aq)+HCO2−(aq)Ka=1.8×10−4HCO2H(aq)+H2O(l)⇌H3O+(aq)+HCO2−(aq)Ka=1.8×10−4

#### Solution

The ICE table for this system is

Substituting the equilibrium concentration terms into the Ka expression gives

Ka=1.8×10−4=[H3O+][HCO2−][HCO2H]Ka=1.8×10−4=[H3O+][HCO2−][HCO2H]

=(x)(x)0.534−x=1.8×10−4=(x)(x)0.534−x=1.8×10−4

The relatively large initial concentration and small equilibrium constant permits the simplifying assumption that x will be much lesser than 0.534, and so the equation becomes

Ka=1.8×10−4=x20.534Ka=1.8×10−4=x20.534

Solving the equation for x yields

x2=0.534×(1.8×10−4)=9.6×10−5x2=0.534×(1.8×10−4)=9.6×10−5

x=9.6×10−5x=9.6×10−5

=9.8×10−3M=9.8×10−3M

To check the assumption that x is small compared to 0.534, its relative magnitude can be estimated:

x0.534=9.8×10−30.534=1.8×10−2(1.8%of 0.534)x0.534=9.8×10−30.534=1.8×10−2(1.8%of 0.534)

Because x is less than 5% of the initial concentration, the assumption is valid.

As defined in the ICE table, x is equal to the equilibrium concentration of hydronium ion:

x=[H3O+]=0.0098Mx=[H3O+]=0.0098M

Finally, the pH is calculated to be

pH=−log[H3O+]=−log(0.0098)=2.01pH=−log[H3O+]=−log(0.0098)=2.01

#### Check Your Learning

Only a small fraction of a weak acid ionizes in aqueous solution. What is the percent ionization of a 0.100-

M

solution of acetic acid, CH

3

CO

2

H?

CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)Ka=1.8×10−5CH3CO2H(aq)+H2O(l)⇌H3O+(aq)+CH3CO2−(aq)Ka=1.8×10−5

### Answer

percent ionization = 1.3%

### EXAMPLE 23.4.5

#### Calculating Equilibrium Concentrations in a Weak Base Solution

Find the concentration of hydroxide ion, the pOH, and the pH of a 0.25-

M

solution of trimethylamine, a weak base:

(CH3)3N(aq)+H2O(l)⇌(CH3)3NH+(aq)+OH−(aq)Kb=6.3×10−5(CH3)3N(aq)+H2O(l)⇌(CH3)3NH+(aq)+OH−(aq)Kb=6.3×10−5

#### Solution

The ICE table for this system is

Substituting the equilibrium concentration terms into the Kb expression gives

Kb=[(CH3)3NH+][OH−][(CH3)3N]=(x)(x)0.25−x=6.3×10−5Kb=[(CH3)3NH+][OH−][(CH3)3N]=(x)(x)0.25−x=6.3×10−5

Assuming x << 0.25 and solving for x yields

x=4.0×10−3Mx=4.0×10−3M

This value is less than 5% of the initial concentration (0.25), so the assumption is justified.  
As defined in the ICE table, x is equal to the equilibrium concentration of hydroxide ion:

[OH−]=~0+x=x=4.0×10−3M[OH−]=~0+x=x=4.0×10−3M

=4.0×10−3M=4.0×10−3M

The pOH is calculated to be

pOH=−log(4.0×10−3)=2.40pOH=−log(4.0×10−3)=2.40

Using the relation introduced in the previous section of this chapter:

pH+pOH=pKw=14.00pH+pOH=pKw=14.00

permits the computation of pH:

pH=14.00−pOH=14.00−2.40=11.60pH=14.00−pOH=14.00−2.40=11.60

#### Check Your Learning

Calculate the hydroxide ion concentration and the percent ionization of a 0.0325-

M

solution of ammonia, a weak base with a

K

b

of 1.76

×

10

−5

.

### Answer

7.56 ×× 10−4M, 2.33%

In some cases, the strength of the weak acid or base and its formal (initial) concentration result in an appreciable ionization. Though the ICE strategy remains effective for these systems, the algebra is a bit more involved because the simplifying assumption that x is negligible cannot be made. Calculations of this sort are demonstrated in [Example 23.4](#h3_KuQC).6 below.

### EXAMPLE 23.4.6

#### Calculating Equilibrium Concentrations without Simplifying Assumptions

Sodium bisulfate, NaHSO4, is used in some household cleansers as a source of the HSO4−HSO4− ion, a weak acid. What is the pH of a 0.50-M solution of HSO4−?HSO4−?

HSO4−(aq)+H2O(l)⇌H3O+(aq)+SO42−(aq)Ka=1.2×10−2HSO4−(aq)+H2O(l)⇌H3O+(aq)+SO42−(aq)Ka=1.2×10−2

#### Solution

The ICE table for this system is

Substituting the equilibrium concentration terms into the Ka expression gives

Ka=1.2×10−2=[H3O+][SO42−][HSO4−]=(x)(x)0.50−xKa=1.2×10−2=[H3O+][SO42−][HSO4−]=(x)(x)0.50−x

If the assumption that x << 0.5 is made, simplifying and solving the above equation yields

x=0.077Mx=0.077M

This value of x is clearly not significantly less than 0.50 M; rather, it is approximately 15% of the initial concentration:  
When we check the assumption, we calculate:

x[HSO4−]ix[HSO4−]i

x0.50=7.7×10−20.50=0.15(15%)x0.50=7.7×10−20.50=0.15(15%)

Because the simplifying assumption is not valid for this system, the equilibrium constant expression is solved as follows:

Ka=1.2×10−2=(x)(x)0.50−xKa=1.2×10−2=(x)(x)0.50−x

Rearranging this equation yields

6.0×10−3−1.2×10−2x=x26.0×10−3−1.2×10−2x=x2

Writing the equation in quadratic form gives

x2+1.2×10−2x−6.0×10−3=0x2+1.2×10−2x−6.0×10−3=0

Solving for the two roots of this quadratic equation results in a negative value that may be discarded as physically irrelevant and a positive value equal to x. As defined in the ICE table, x is equal to the hydronium concentration.

x=[H3O+]=0.072MpH=−log[H3O+]=−log(0.072)=1.14x=[H3O+]=0.072MpH=−log[H3O+]=−log(0.072)=1.14

#### Check Your Learning

Calculate the pH in a 0.010-M solution of caffeine, a weak base:

C8H10N4O2(aq)+H2O(l)⇌C8H10N4O2H+(aq)+OH−(aq)Kb=2.5×10−4C8H10N4O2(aq)+H2O(l)⇌C8H10N4O2H+(aq)+OH−(aq)Kb=2.5×10−4

### Answer

pH 11.16

### 23.4.7 Calculating pH for a Solution of Weak Base

Read this online at <https://edtechbooks.org/general_college_chemistry_2/weak_acids_and_bases>